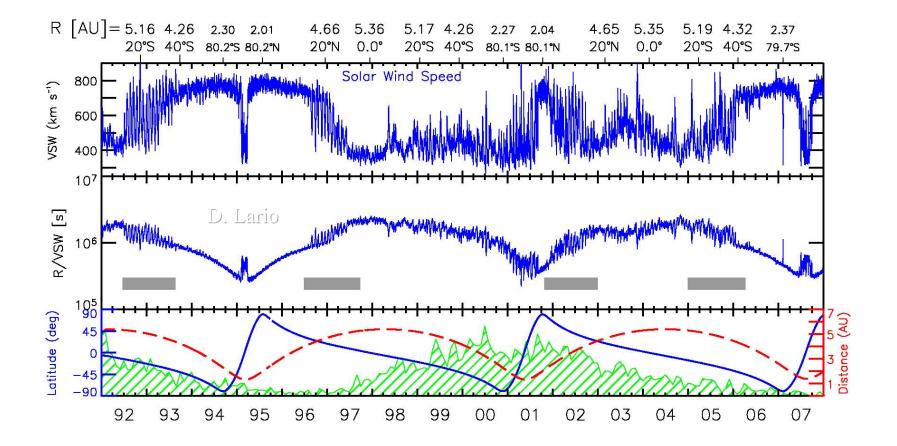
Ulysses mission-long observations of radial IMF in solar wind rarefaction regions

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<u>Reference</u>: Proceedings Solar Wind 12, AIP, 2010



Extrapolation back to the Sun using the observed Solar Wind velocity: dwells

A solar wind parcel observed at heliocentric distance R and longitude ϕ at time t was at the source surface at R_0 , ϕ_0 at time t_0 .

Let τ be the transit time from source surface to the spacecraft.

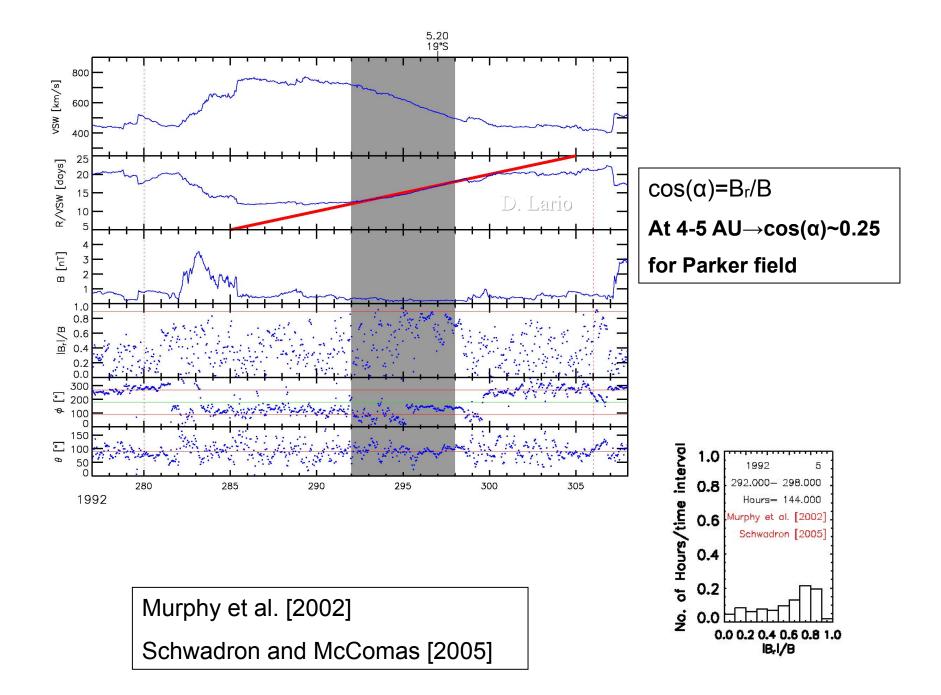
$$R_{0} = R - V(t)\tau$$

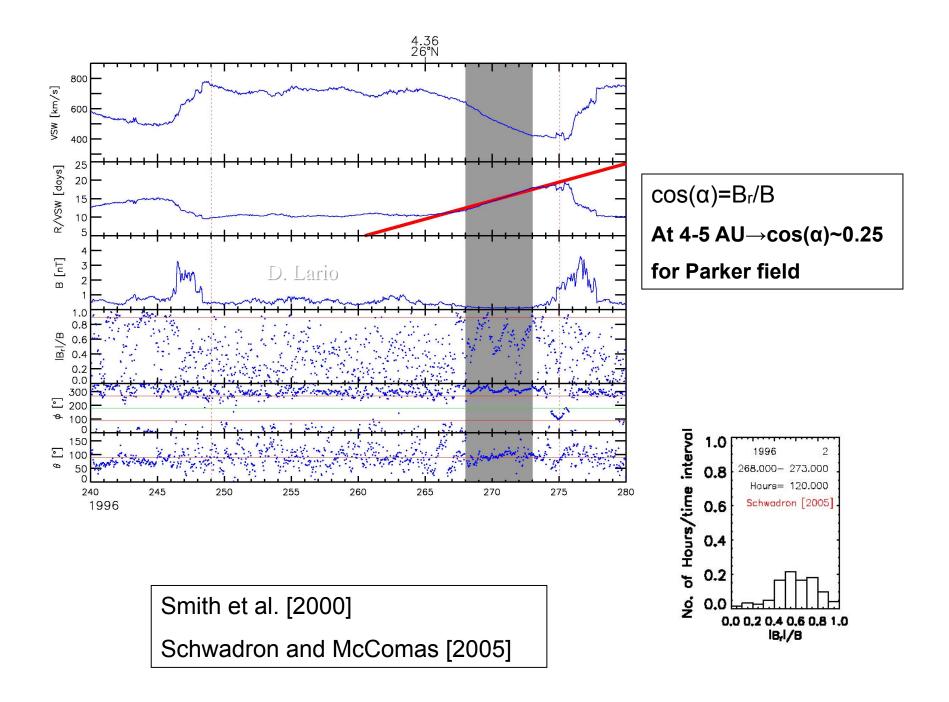
$$\phi_{0} = \phi - \Omega_{\odot}\tau$$

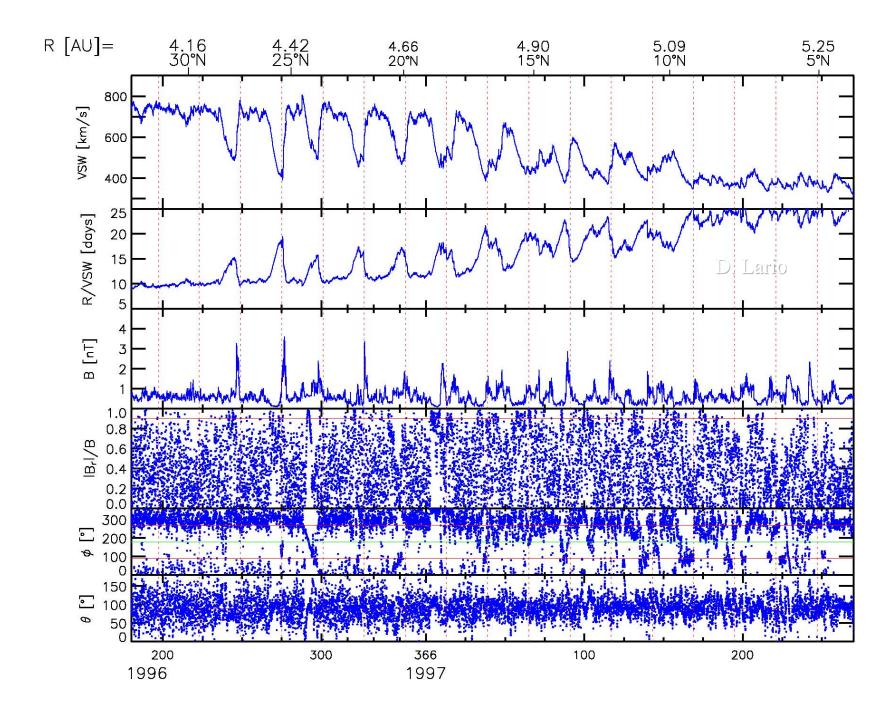
$$\tau = \frac{\phi - \phi_{0}}{\Omega_{\odot}} = \frac{R - R_{0}}{V(t)} = t - t_{0}$$

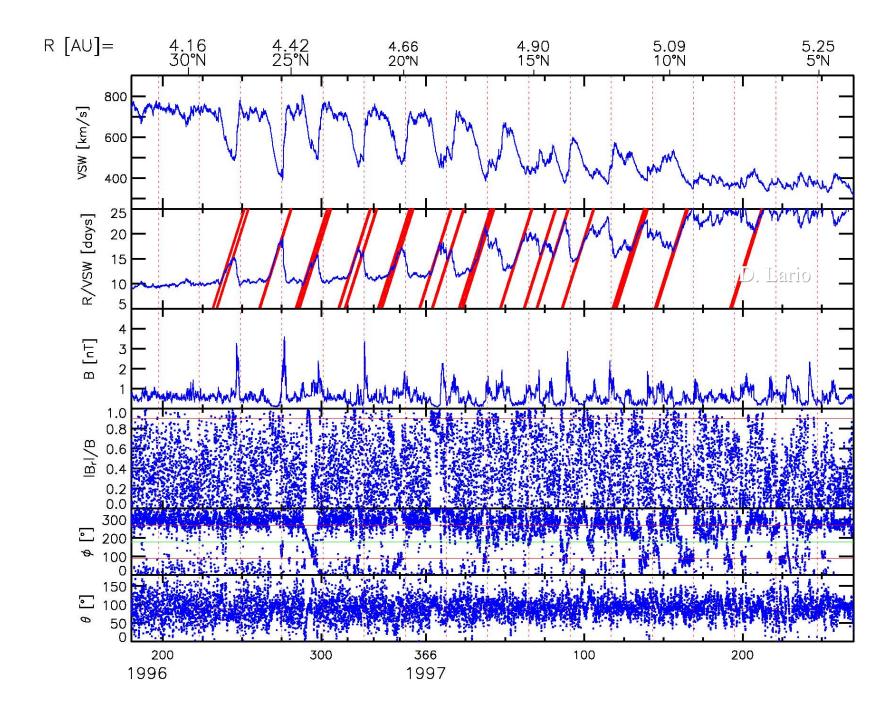
$$\frac{R}{V(t)} \approx t - t_{0}$$
Roelof and Krimigis [1973]

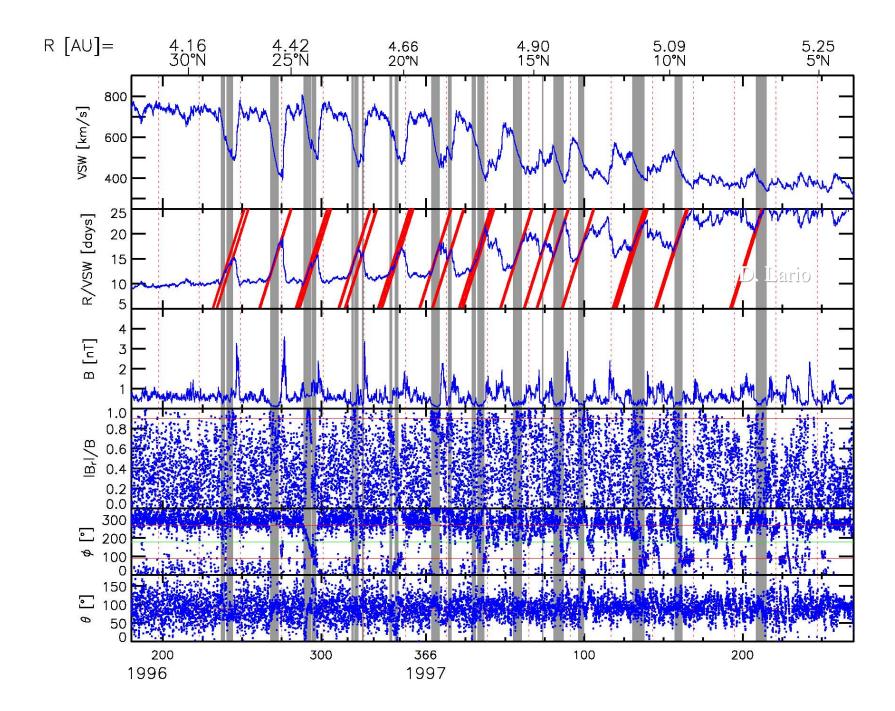
Plotting R/V as a function of time, we can identify a characteristic solar wind structure, the "dwell" in which the longitude $\phi_0(t)$ remains approximately the same. In a R/V versus time, "dwells" show up as straight lines with slope equal to one.

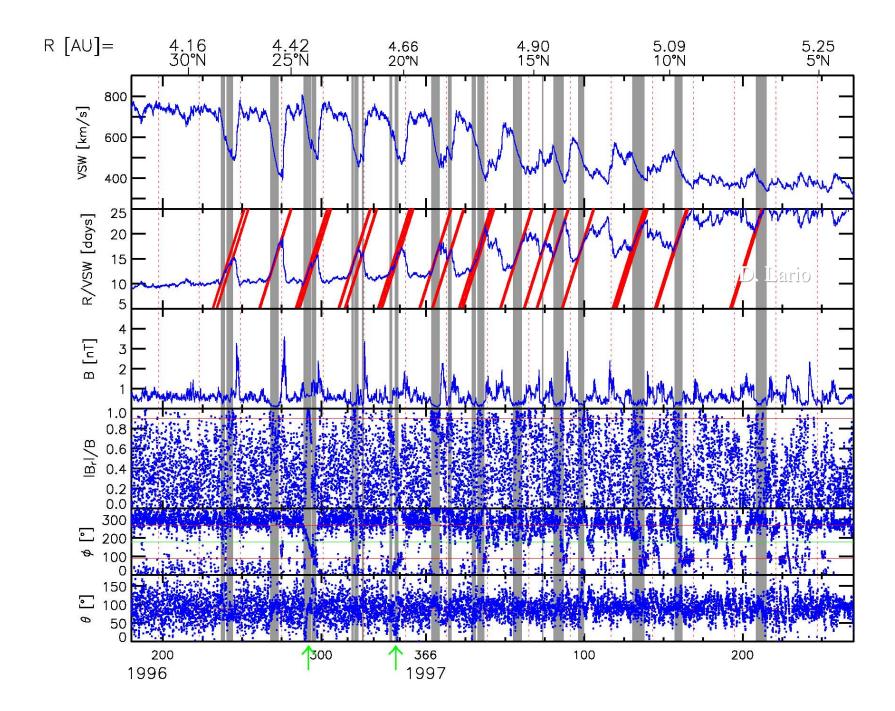


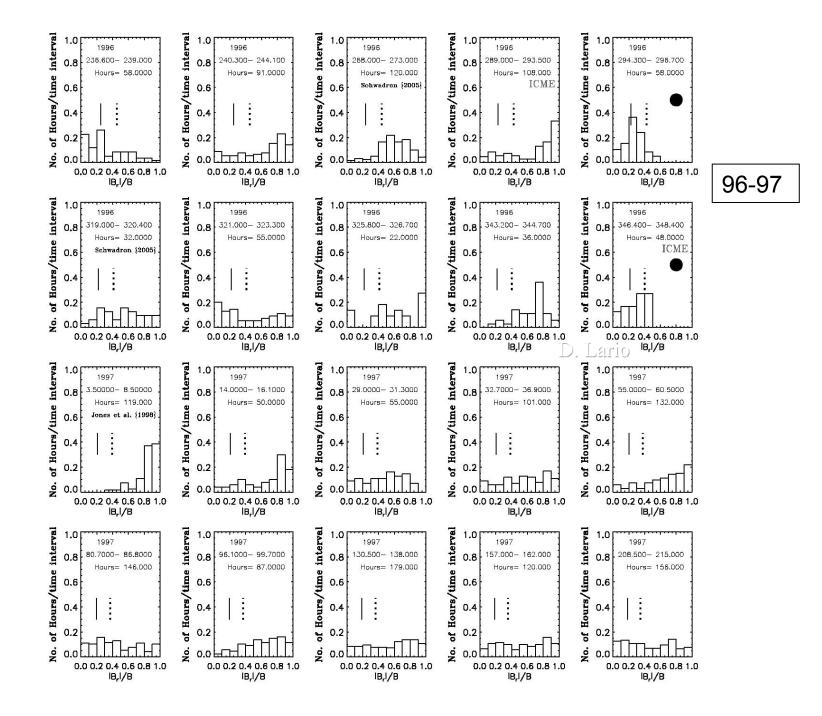


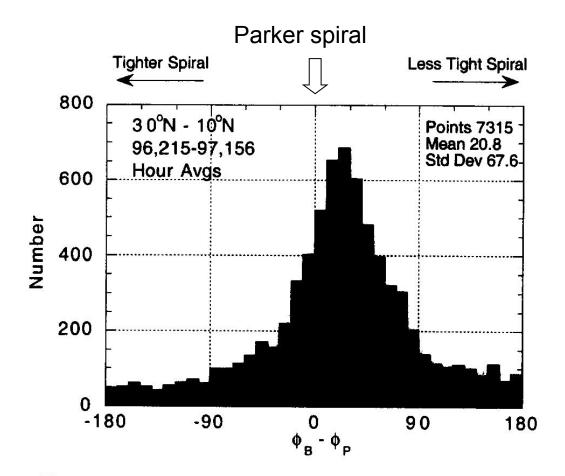








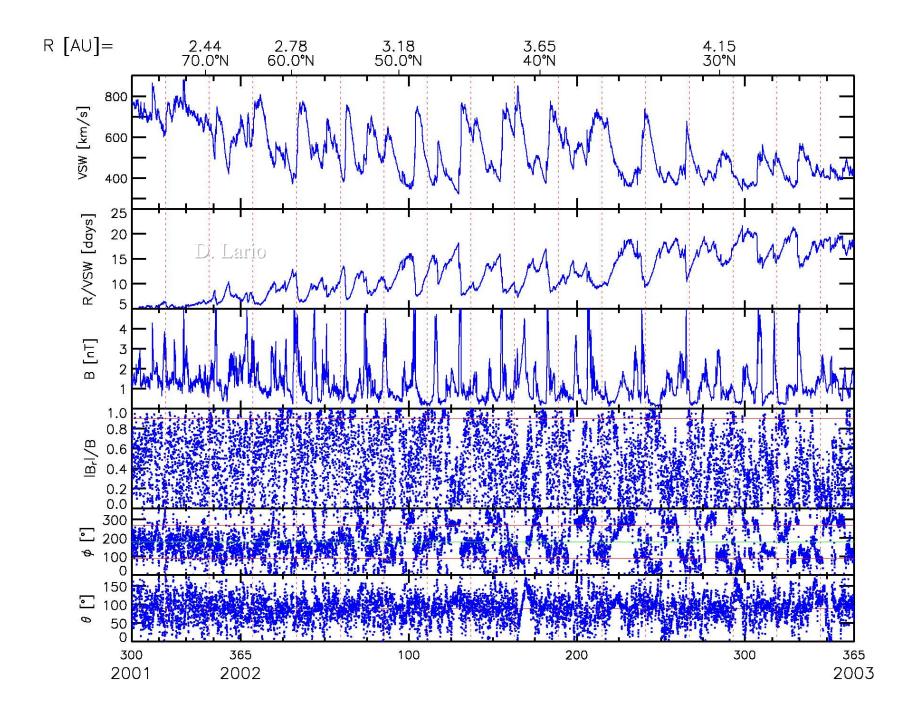


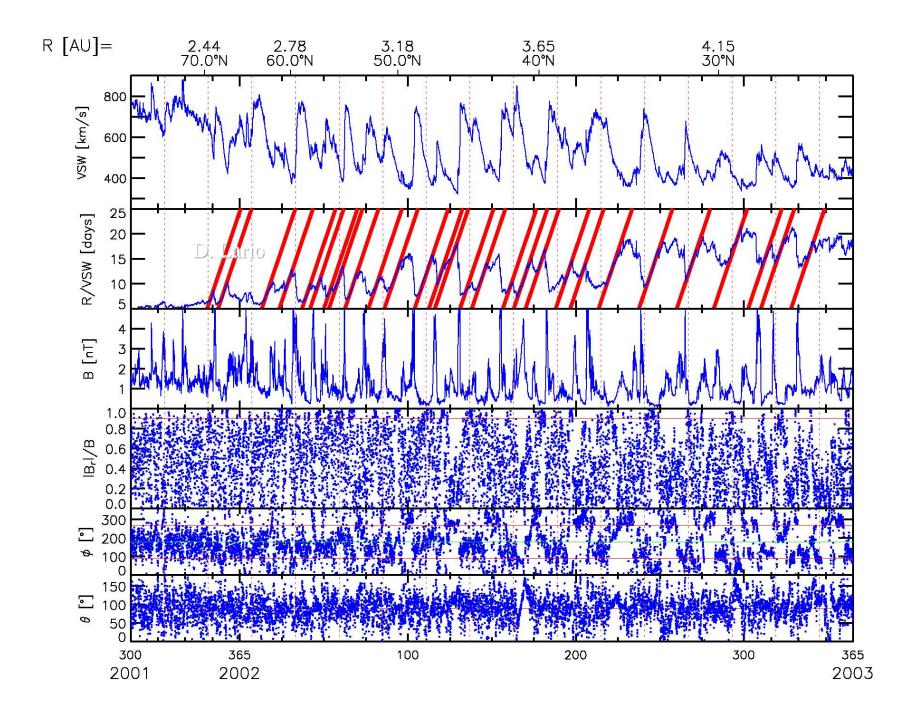


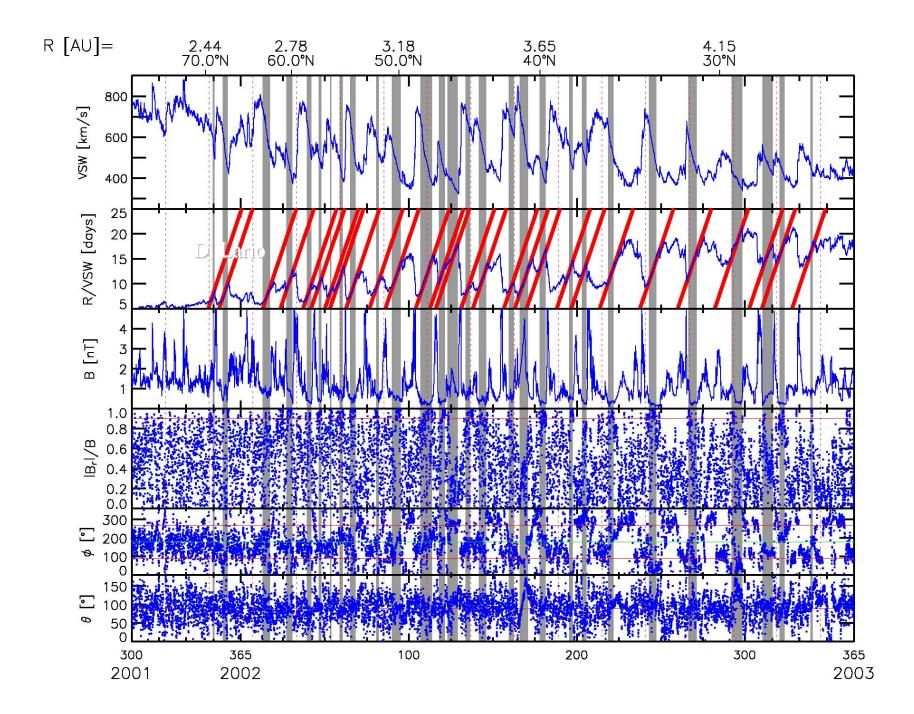
96-97

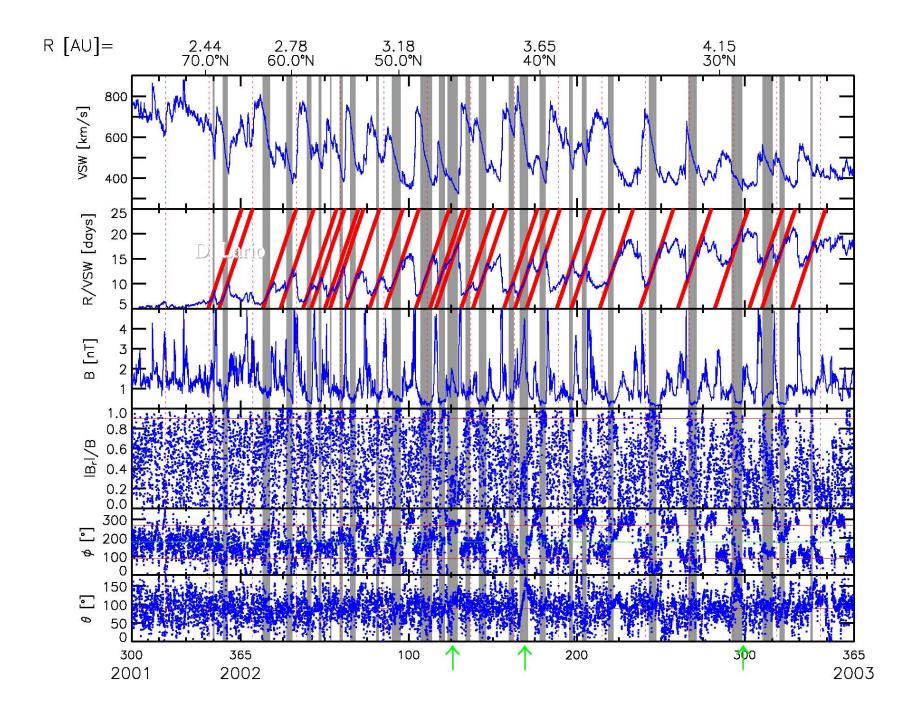
Fig. 3. Histogram of the differences between the observed and Parker spiral angles in the mid-latitude zone $(10^{\circ} - 30^{\circ})$ containing CIRs and CRRs. Both the mean and the most probable values show a substantial departure in the sense of the field direction being more radial than the model predicts. The solar wind speed was used to compute the expected angle.

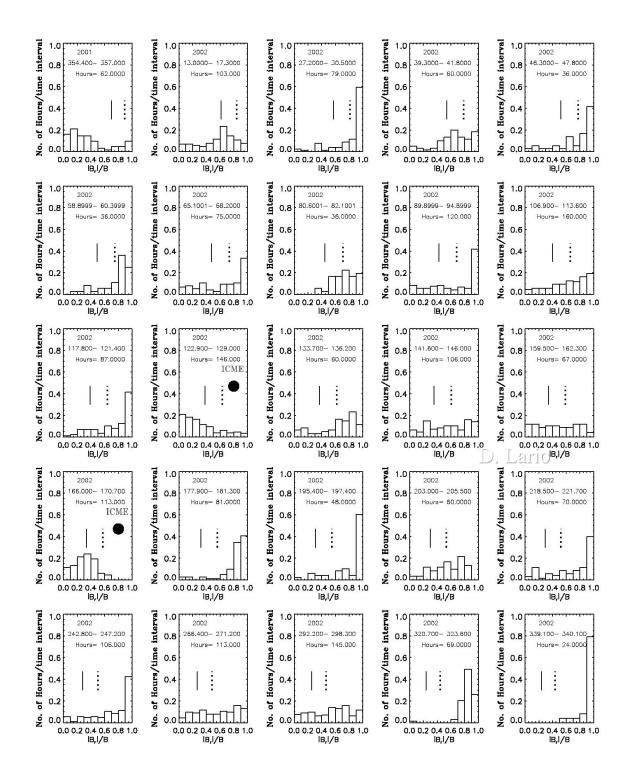
Smith et al. [2000]



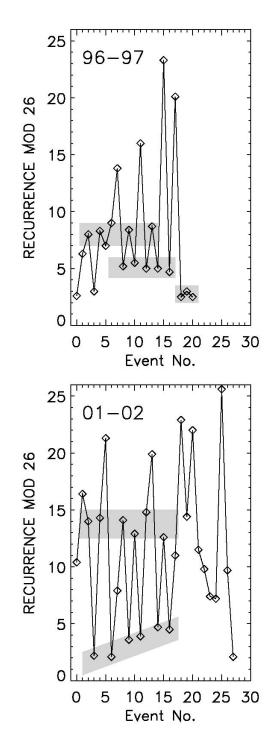




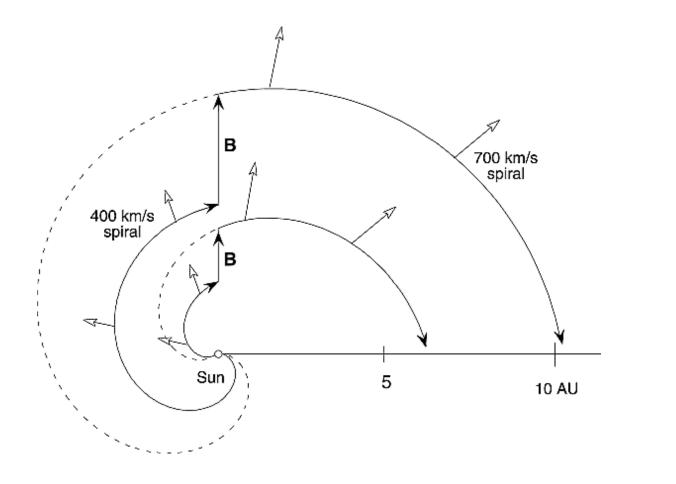




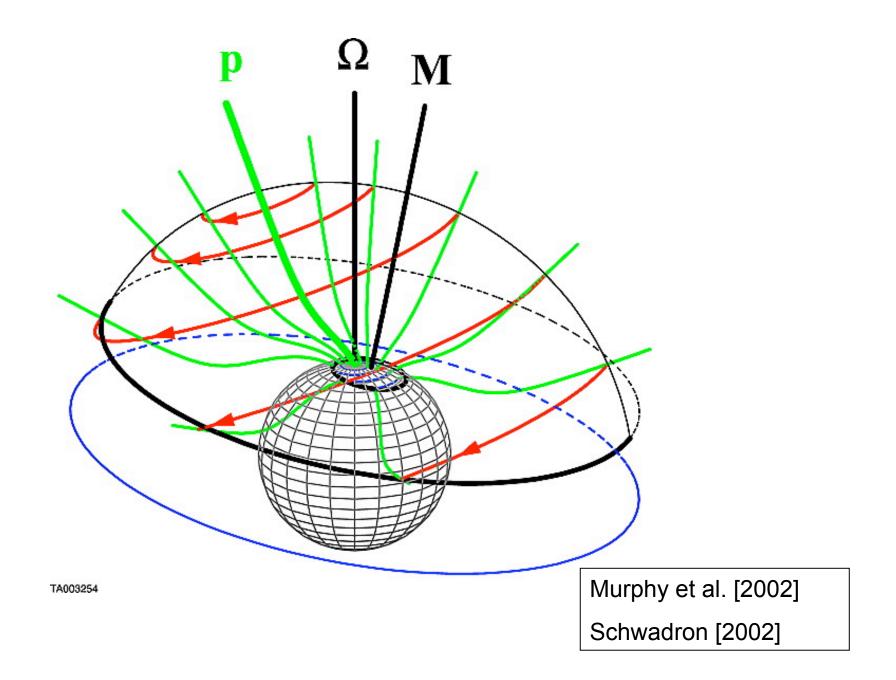
01-02

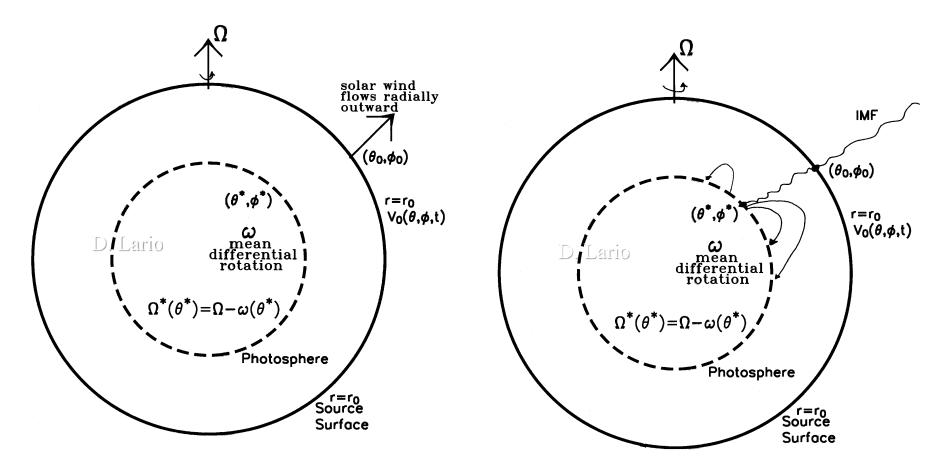


Search data for 26-day recurrent signatures:		
Recurrent: most likely related to stable coronal holes		
1996-7 (min):	6+5+3=14 out of 20	(70%)
2001-2 (max):	6+6=12 out of 27	(44%)
Non-recurrent : could be <u>either</u> transients in solar wind emission <u>or</u> short-lived coronal holes (at Ulysses latitudes)		
1996-7 (min):	6 out of 20	(30%)
2001-2 (max):	15 out of 27	(56%)



Gosling and Skoug [2002]





At the photosphere, we have the field lines rooted at θ^* and ϕ^* , and move with a mean angular velocity Ω^* , with

$$\Omega^*(\theta^*) = \Omega - \omega(\theta^*)$$

where ω is the mean differential angular velocity.

The parametric equations then simplify to

$$\begin{aligned} r &= r_0 + \tau V_0 \Big[\theta_0, \phi_0 + \omega(\theta_0)\tau, t - \tau \Big] \\ \theta &= \theta_0 \\ \phi &= \phi_0 + \omega(\theta_0)\tau - \Omega\tau = \phi_0 - \Omega^*(\theta_0)\tau \end{aligned}$$

From the last equation we have $\tau = (\phi_0 - \phi)/\Omega^*$, and replacing it in the first equation

$$r = r_0 + \frac{\phi_0 - \phi}{\Omega^*} V_0 \Big[\theta_0, \ \phi_0 + \omega(\theta_0) \frac{\phi_0 - \phi}{\Omega^*}, \ t - \frac{\phi_0 - \phi}{\Omega^*} \Big]$$

The function $V_0(heta,\phi,t)$ is arbitrary.

The velocity itself $V(r, \theta, \phi, t)$ is assumed to be radial and ballistic and is defined as a function of position and time t, and we can define it in terms of the parameter τ

$$\left. \begin{array}{l} V = V_0(\theta, \, \phi + \Omega \tau, t - \tau) \\ r = r_0 + V \tau \end{array} \right\}$$

For a given values of the angular coordinates (θ, ϕ) and the time t, these equations generate V, at all distances $r > r_0$ with $0 < \tau < \infty$

$$V = V_0 \Big(heta, \ \phi + \Omega(rac{r-r_0}{V}), \ t - rac{r-r_0}{V} \Big)$$

The angle Ψ between the radial direction and the frozen-in magnetic field is

$$\tan \Psi = r \sin \theta / \left(\frac{dr}{d\phi}\right)$$

$$\frac{dr}{d\phi} = -\frac{V_0}{\Omega^*} + \frac{\phi_0 - \phi}{\Omega^*} \left\{ -\frac{\omega}{\Omega^*} \frac{\partial V_0}{\partial \phi} + \frac{1}{\Omega^*} \frac{\partial V_0}{\partial t} \right\}$$

$$\tan \Psi = -\frac{(\Omega - \omega)r\sin\theta}{V_0 + \frac{\phi_0 - \phi}{\Omega^*}[\omega\frac{\partial V_0}{\partial \phi} - \frac{\partial V_0}{\partial t}]}$$

If $\frac{\partial V_0}{\partial t} = 0$

$$\tan \Psi = -\frac{(\Omega - \omega)r\sin\theta}{V_0 + \frac{\phi_0 - \phi}{\Omega^*}[\omega\frac{\partial V_0}{\partial \phi}]}$$

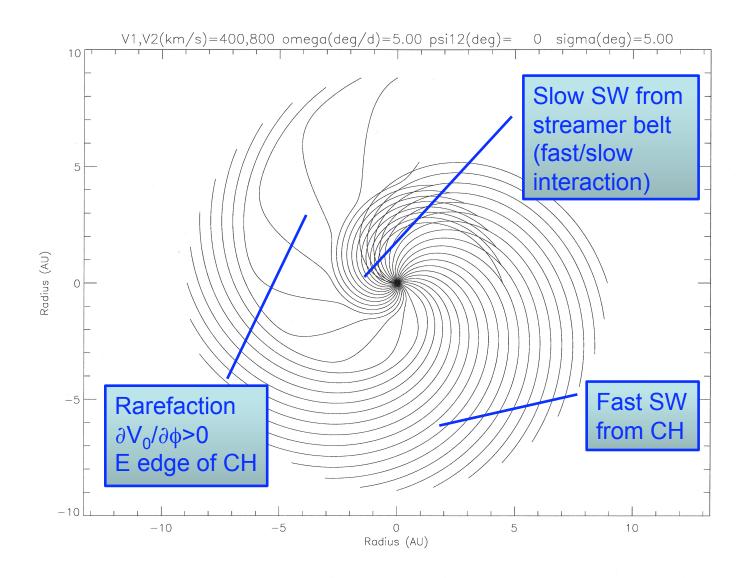
Murphy et al. [2002].

If
$$\omega = 0$$

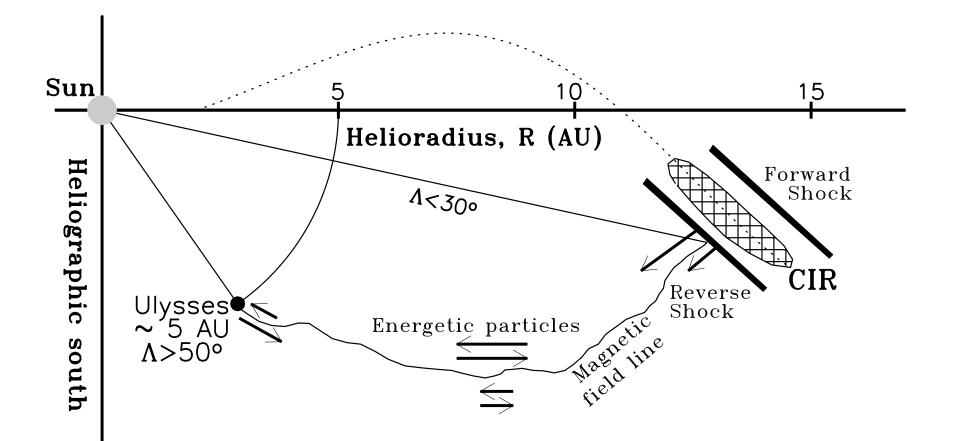
$$\tan \Psi = -\frac{\Omega r \sin \theta}{V_0 - \frac{\phi_0 - \phi}{\Omega} \frac{\partial V_0}{\partial t}}$$

Gosling and Skoug [2002]

Near-radial IMF in CIR rarefaction region



Propagation of energetic particles in rarefaction region from RS of CIR



Simnett and Roelof [1995, 1999]; Roelof [2000]

Conclusions (1)

- Mid-latitude solar wind rarefaction regions:
 - •coincide with "dwells" (solar wind originated at approximately the same longitude)
 - •show low magnetic field magnitude
 - •show non-Parker (more radial) magnetic field orientation
- 26-day recurrent series dominate outside of the solar maximum (92-93, 96-97, and part of 05-06).
- Non-recurrent rarefactions (including CMEs) are comparable to recurrent rarefactions during solar maximum (01-02):

•a mix of coronal hole recurrences and transients either in the solar wind source or in the coronal hole evolution is observed.

Conclusions (2)

Implications for energetic particle propagation in rarefaction regions of CIRS:

When CIR plasma/field signatures are observed *in situ*, *e.g.* at 1AU, energetic particles are associated with both the forward and reverse shock (if formed).

For remote connection to CIRs, *e.g.*, Ulysses at mid and high latitudes, the IMF in rarefactions (that connects to the reverse shock is strongly deformed from an ideal Parker field (high probability of near-radial directions and very weak, quiet magnetic field).

These conditions are conducive to nearly scatter-free propagation of 0.06-5.0 MeV ions and 50-300 keV electrons from >15AU back into the inner heliosphere (1-5AU) *via* paths *much shorter* than the distance along a Parker spiral.

END

Thanks to the Organizing Committee!